

Quantum Machine Learning

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*Le monde est tel que nous le faconnons



The world is how we shape it*

Agenda

Introduction







Agenda

Introduction



Quantum Neural Network Algorithms







Introduction



Machine Learning and Quantum Computing







Quantum Computers

• The computer vendors have an ambitious roadmap







- D-Wave plans a quantum annealer of 7000 qubits in 2024
- Rigetti plans a gate-based system of 1000 qubits in 2026 and 4000 qubits in 2027
- European Commission supports projects to 1000 qubits in 2027



Potential Advantages

Improved Accuracy

Quantum Speedup

Reduced Energy Usage



Reduced energy usage





Quantum computing basics

• A **qubit** is a quantum system with two levels

 $\alpha \mid 0 > + \beta \mid 1 >$

and we observe $P(|0\rangle) = |\alpha|^2$ and $P(|1\rangle) = |\beta|^2$

- A **quantum circuit** performs an operation on a qubit
- n qubits encode 2ⁿ states in parallel. This is called superposition.
- 2 qubits can be **intricated**.







Quantum Neural Networks



Quantum Convolutional Neural Network

Quantum Layers and Classical Optimization

Data encoding

• Encoding of the images using a cluster state model

Quantum convolution

· Combine adjacent qubits with a convolution circuit





Quantum pooling

• Pool N qubits in N/2 qubits by reducing the intrication with a pooling circuit



Classical optimization

• TensorFlow functions

Scaling of feedforward time

- Classical O(N²)
- Quantum O(N)

Ref: *M. van Waveren et al*, Comparison of Quantum Neural Network Algorithms for Earth Observation Data Classification, *Proceedings of IGARSS 23, Pasadena, California, 2023*.



Other quantum neural network algorithms

• Quantum Contrastive Learning Algorithm

Ref: *V. Defonte et al*, Quantum Contrastive Learning for Semantic Segmentation of Remote Sensing Images, *Proceedings of Big Data from Space 23, Vienna, 2023*.

• Quantum Long Short Term Memory Algorithm

Ref: *H. Painchart et al*, Quantum Algorithm for the Analysis of Temporal Sequences of Satellite Images, *accepted at IGARRS 24, Athens, 2024*.



Orthogonal Neural Network

Neural network algorithm written as linear algebra operations with orthogonal weight matrices

Convert the linear algebra operations into quantum circuits

- Use the Reconfigurable Beam Splitter gate
- Define quantum pyramidal circuit with this gate
- Add data loader circuit

Can be executed either on quantum hardware or on classical hardware.



Scaling of feedforward time

- Classical O(N²)
- Quantum O(N)

Ref: *I. Kerinidis, J. Landman, N. Mathur*, Classical and Quantum Algorithms for
Orthogonal Neural Networks, <u>https://arxiv.org/pdf/2106.07198</u>





Quantum Constrastive Learning



Hybrid Contrastive Learning Framework



Ref: *V. Defonte et al*, Quantum Contrastive Learning for Semantic Segmentation of Remote Sensing Images, *Proceedings of Big Data from Space 23, Vienna, 2023*.



Parameterized Quantum Circuit



- 4-qubits version of the circuit from Cong et al
- Adapted to 8-qubits in this work
- Can be run on IBM quantum computer





Results



Image





Quantum Long Short Term Memory



Method outline



Ref: *H. Painchart et al*, Quantum Algorithm for the Analysis of Temporal Sequences of Satellite Images, *accepted at IGARRS 24, Athens, 2024*.



Model Accuracy Results

Phase	No iterations	Average Accuracy	Accuracy Stable Forest	Accuracy Deforestation
QCNN Ascending	20	76.5 %	87 %	67.3 %
QCNN Descending	20	75.2 %	79 %	71.6 %
QLSTM	100	76.5 %	52.9 %	100 %
Full Model	21	75 %	96.2 %	56.2 %
Final Model	11	81.3 %	85.7 %	75.7 %





Ising Model



Method outline

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Ref: *B. Gardas et al*, Hyper-spectral image classification using adiabatic quantum computation, *Proceedings of IGARSS 23, Pasadena, California, 2023*.

Ref: *P. Gawron et al*, What could be achieved with a Million qubits quantum annealer in Remote Sensing? *Accepted at IGARSS 24, Athens, Greece, 2024*.



Ising model

- Ising model is a random Markov field
- Image is mapped on a grid
- A local energy is associated with each pixel $h_i = -\frac{1}{4} \log(\frac{1}{P_{i(\mathcal{C})}} 1)$
- A total energy is associated to the graph

One vs rest:
$$H(\mathbf{s}) = -\sum_{i} h_i s_i - \beta \sum_{ij} s_i s_j$$

Potts model: $H(\mathbf{s}) = -\sum_{i} \sum_{c} h_{i,csi,c} - \beta \sum_{ij} s_{i,c1} s_{j,c2} - \gamma \sum_{i,c} (s_{i,c} + 2)^2$





Adiabatic Quantum Computing

• The D-Wave quantum annealer is used to solve the Ising model

 $H(t) = g(t)H_0 + \Delta(t)H_p$

 ${\cal H}_0$: Initial Hamiltonian of the quantum annealer ${\cal H}_p$: Hamiltonian corresponding to our problem

- If we start the computation in the ground state of H_0 , then by varying g(t) and $\Delta(t)$, we end up in the ground state of H_p for large annealing times.
- The ground state of H_p corresponds to our solution.
- Potts model results on D-Wave 2000-qubit system
 - Patch size: 8x8 pixels
- Potts model results on D-Wave 5000-qubit Advantage system in Jülich
 - Patch size: 14x14 pixels







β=0.04





β=0.08





у



- 1

- 1/2

0



β=0.5



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 $\begin{array}{l} \beta {=}0.05\\ \text{Acc classic} = 0.6242 \text{ - Acc quantum} = 0.7536 \end{array}$



Ground truth with simulated noise

 $\begin{array}{l} \beta {=}\,0.1 \\ \text{Acc classic} = 0.6242 \text{ - Acc quantum} = 0.9201 \end{array}$



Ground truth with simulated noise



 $\begin{array}{l} \beta {=}\,0.2 \\ \text{Acc classic} = 0.6242 \text{ - Acc quantum} = 0.9861 \end{array}$



Ground truth with simulated noise

 $\begin{array}{l} \beta {=}\,0.3 \\ \text{Acc classic} = 0.6242 \text{ - Acc quantum} = 0.9928 \end{array}$



Ground truth with simulated noise

 $\begin{array}{l} \beta {=} 0.4 \\ \text{Acc classic} = 0.6242 \text{ - Acc quantum} = 0.9856 \end{array}$



Ground truth with simulated noise

Quantum improvement

Ground truth with simulated noise





 $\label{eq:beta} \begin{array}{l} \beta {=} 0.025 \\ \text{Acc classic} = 0.9376 \text{ - Acc quantum} = 0.9639 \end{array}$



Pre-processing with

Random Forest



 $\begin{array}{l} \beta {=}0.05\\ \text{Acc classic} = 0.9376 \text{ - Acc quantum} = 0.9861 \end{array}$



Pre-processing with Random Forest



 $\begin{array}{l} \beta {=}\,0.1 \\ \text{Acc classic} = 0.9376 \text{ - Acc quantum} = 0.9974 \end{array}$



Pre-processing with Random Forest



 $\begin{array}{l} \beta {=}\,0.2 \\ \text{Acc classic} = 0.9376 \text{ - Acc quantum} = 0.9985 \end{array}$



Pre-processing with Random Forest

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 $\begin{array}{l} \beta {=} 0.3 \\ \text{Acc classic} = 0.9376 \text{ - Acc quantum} = 0.9964 \end{array}$



Pre-processing with Random Forest



Quantum Improvement

Pre-processing with Random Forest



 $\begin{array}{l} \beta {=} 0.025 \\ \text{Acc classic} = 0.9052 \text{ - Acc quantum} = 0.9232 \end{array}$







 $\begin{array}{l} \beta {=}0.05 \\ \text{Acc classic} = 0.9052 \text{ - Acc quantum} = 0.9443 \end{array}$



SVM pre-processor

-



 $\begin{array}{l} \beta {=}\,0.1 \\ \text{Acc classic} = 0.9052 \text{ - Acc quantum} = 0.9644 \end{array}$



SVM pre-processor

-



 $\begin{array}{l} \beta {=}\,0.2 \\ \text{Acc classic} = 0.9052 \text{ - Acc quantum} = 0.9778 \end{array}$



SVM pre-processor



 $\beta = 0.3$ Acc classic = 0.9052 - Acc quantum = 0.9722



SVM pre-processor



Quantum Improvement

Pre-processing with SVM



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β



Conclusion



Current state of the art

- We see improvements in the classification and segmentation accuracies
- Quantum speedup is possible if the quantum computers become more powerful
- Reduced energy usage will come with quantum speedup
- Quantum annealers claim to be production-ready
- Gate-based quantum computers are not yet production-ready



Thank you for your interest!



